



You'r title

J.Vahidi

Introduction

Metric Space

References

In The Name Of God

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J.Vahidi

Iran University of Science and Technology

*Jvahidi@iust.ac.ir*

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## Introduction

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## Definition

### Definition

- (1) for all  $x$
- (2)
- (3)
- (4)
- (5)

The function  $U$  is called a universal metric of dimension  $n$ , or more specifically a  $U_n$ -metric on  $X$ , and the pair  $(X, U)$  is called a  $U_n$ -metric space.

## Example

Let

$$x < y \quad (1)$$

## Proposition

Let  $(X, U)$  be

- (i) If  $U < r$ , then  $x \in B$ ;
- (ii) If  $y \in B$ , then there exists,  $x < y$ .



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Fixed point theorems [2].

Theorem

*then the map  $T$  has a  $U_n$ -approximate fixed point.*



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## Theorem

*Let*

$D$

*where*



# Topology Spase

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Topology Space is  
The conventional [3]

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Here we propose a

- a Choose integer  $k$ ,
  - b Assume  $k$  number of initial seed points.
  - c Randomly assign .
  - d abc.
- (5) Let .
- (7) Repeat steps .
- (8) Repeat steps

# Experimental results

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A generalized  
For case

# Experimental results

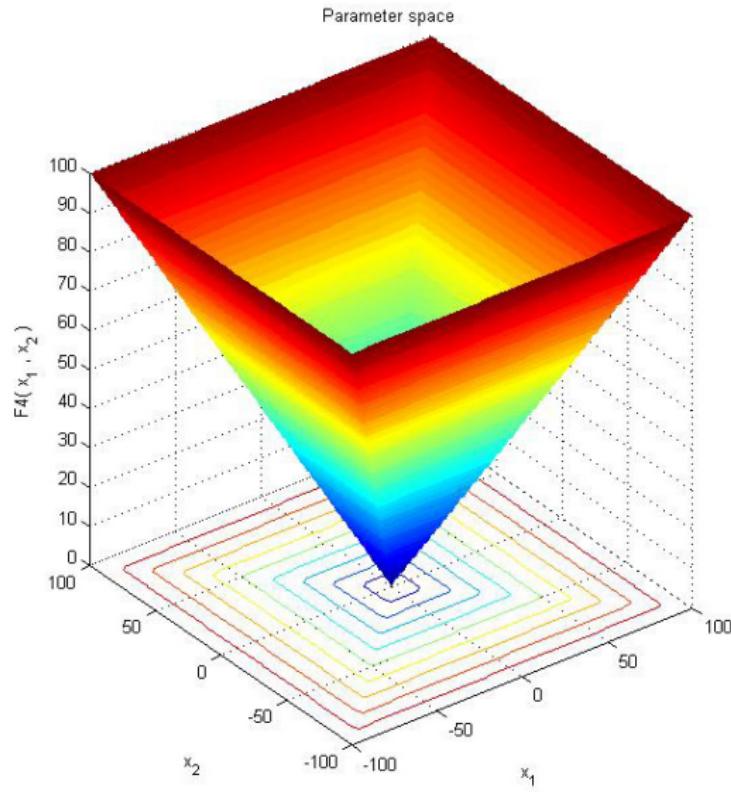
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